

**1. Exercise:**

A person stands on a cliff which has a height of  $h_1 = 80$  m measured from the water surface. The sea itself has a depth of  $h_2 = 16$  m. The person drops a stone down the cliff, which is accelerated (due to gravity) by  $g = 10 \frac{\text{m}}{\text{s}^2}$ . Assume the stone entering the water to propagate with the constant velocity from the point on when it is at the water surface.

- At what speed  $v_i$  the stone impacts with the ground of the sea?
- Find the time  $T$  the stone needs to hit the ground of the sea.
- Sketch the  $x(t)$  diagram.
- Draw the  $v(t)$  diagram.
- Now conclude what height  $\tilde{h}_1$  the cliff has, if the person hears the sound of the impact with the sea  $\tilde{t}_{ac} = 6.6$  s after he had dropped the stone. Note that the acoustic velocity is  $v_{ac} = 340 \frac{\text{m}}{\text{s}}$ .

**2. Exercise:**

A car is racing along the street at a speed of  $v = 72 \frac{\text{km}}{\text{h}}$ . At some place there is a police car spotting racers. As the racer passes the police car they start to catch up with the car driver. The police car accelerates with  $a = 10 \frac{\text{m}}{\text{s}^2}$ .

- Find the time  $T$  the police car needs to catch up with the car driver!
- How far did the racer come?
- Draw the  $x(t)$  dependencies for the racer and the police car in one diagram.

**3. Exercise:**

A mass point is shot with an initial velocity of  $v_0 = 20 \frac{\text{m}}{\text{s}}$  at  $\alpha = 45^\circ$  from the horizontal. Along the vertical gravity is acting with  $g = 10 \frac{\text{m}}{\text{s}^2}$ .

- Sketch the path  $\vec{r}(t)$ .
- What is the total time  $T$  the mass point is in the air?
- Find the range, the total horizontal distance  $s$  traveled.
- Determine the maximum height  $h$  of the mass point.
- How would the range  $s$  change if the angle would be increased?